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Calculations for the Scorpius Downstream Transport

Carl Ekdahl
May, 2021

Over heating a beam stop can lead to damage, even if the temperature rise is insufficient to melt or dissociate the material.

- Heating the surface of a beam stop by $\Delta T > 300\text{-}400\text{K}$ desorbs monolayers of H_2O and other gases.
 - H_2O desorption is a concern because it is a source of light ions, e.g., H^+
 - H_2O has been shown to be ubiquitous in vacuum systems like our LIAs.
- Impact dissociation and ionization of desorbed gas produces positive ions that are accelerated upstream into the beam space-charge potential well.
 - Positive ions partially neutralize the electron beam charge.
 - Neutralization factor is $f_e = N_i/N_e$
- H^+ (protons) can be accelerated far enough upstream that space-charge neutralization is sufficient for the beam to magnetically pinch due to its current.
 - Neutralization $f_e > 1/\gamma^2$ is enough to overcome space-charge repulsion and permit pinching.
 - The tightly focused beam resulting from this ion focusing effect can damage the material.
- This effect has been demonstrated in a number of experiments.

Expanding the beam to reduce the beam-stop temperature rise can be accomplished by over-focusing with a solenoid.

- **We have successfully used this technique to protect the DARHT-II beam stop from overheating by the 17-MeV, 1.7 kA, 2- μ s FWHM beam.**

- **For the Scorpius beam stop, we studied the use of the TS1 solenoid to expand the beam.**
 - **We used the XTR envelope code and the LSP-S PIC code for this analysis.**
 - **Beam parameters at the accelerator exit were determined from simulations of transport through the full Scorpius LIA.**
 - **The magnetic field was calculated from the XTR solenoid model with parameters fit to field simulations based on the present TS1 design.**
 - **Axial locations were based on the present DST design.**

Beam expansion using TS-1 can be simulated with the XTR envelope code.

- The envelope equations have been derived for an azimuthally symmetric current with arbitrary radial distribution.
 - XTR solves for $R_{\text{env}} = 2^{1/2} R_{\text{rms}}$
 - Valid for self-similar variations of beam size.
 - Useful for impulsive beam heating with pulse times much shorter than thermal diffusion times
- XTR is our “go-to” envelope code for intense relativistic beam transport with solenoidal focusing.
- Envelope tutorial: LA-UR-19-28456

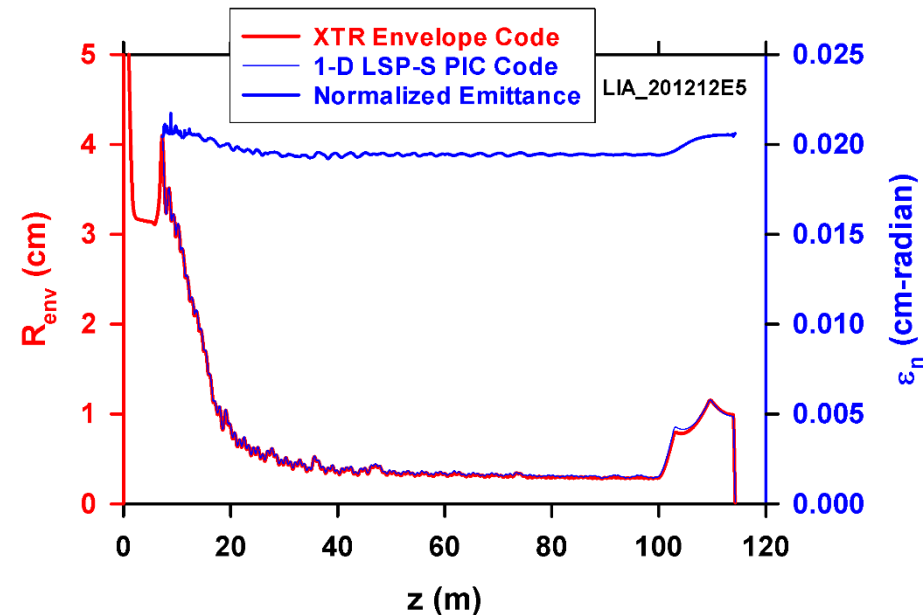
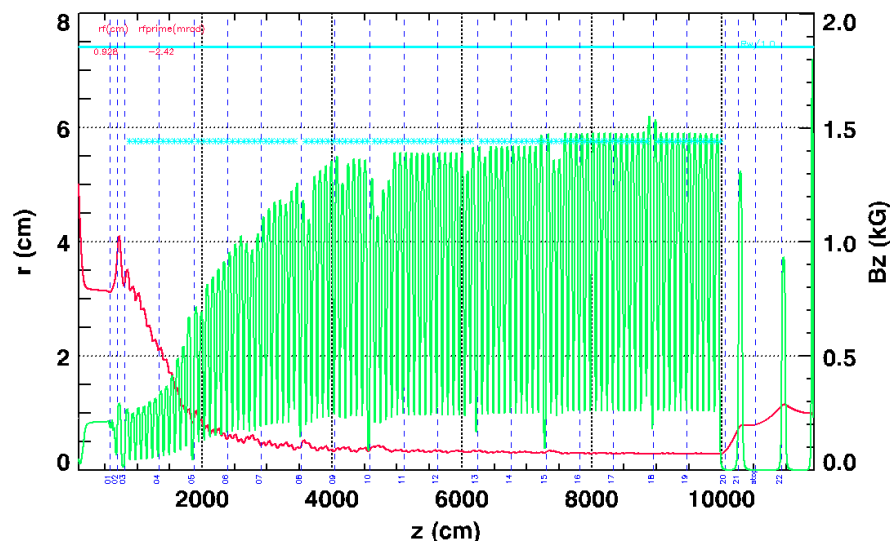
Radial beam current distribution was simulated with LSP particle-in-cell (PIC) code.

- **Relativistic beams are dominated by transverse forces.**
 - **Results of PIC simulations with a thin slice agree with full 3D simulations.**
- **The beam-slice algorithm for LSP enables cathode-to-target PIC simulations in finite wall-clock time on a Win10 workstation.**
 - **Fastest Simulations: 1D cylindrical geometry**
 - **Best Resolution: 2D Cartesian geometry**
 - **1D and 2D results agree for azimuthally symmetric beams launched straight down the axis.**
- **For these initial estimates, I traded off resolution for speed, using a coarsely-zoned Cartesian geometry.**

[illegible]

For this investigation I used the beam transported by a nominal tune that is also being used to assess beam stability.

- This tune was designed with XTR to match a beam with initial conditions from diode simulations with the TRAK e-gun code.
- An envelope-stable, matched beam is transported and accelerated through the LIA with this tune.
- LSP-Slice predicts no emittance growth for this tune.
- LAMDA simulations predict that maximum B-field less than 1.5 kG will suppress BBU growth to less than on DARHT-I.
- The DST is tuned for optimally-sized waist ($R \approx 1\text{cm}$) entering the final focus solenoid.

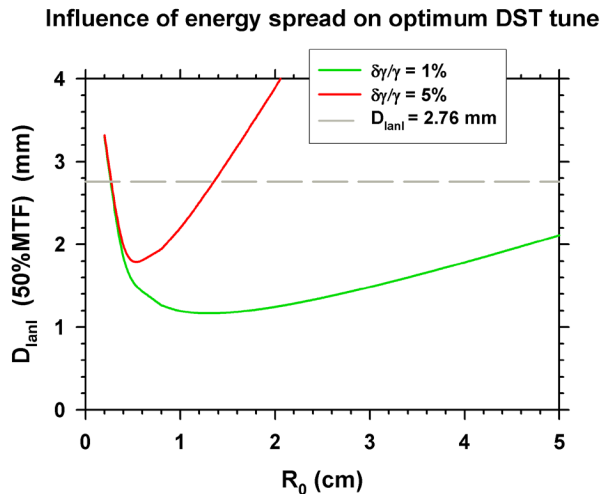
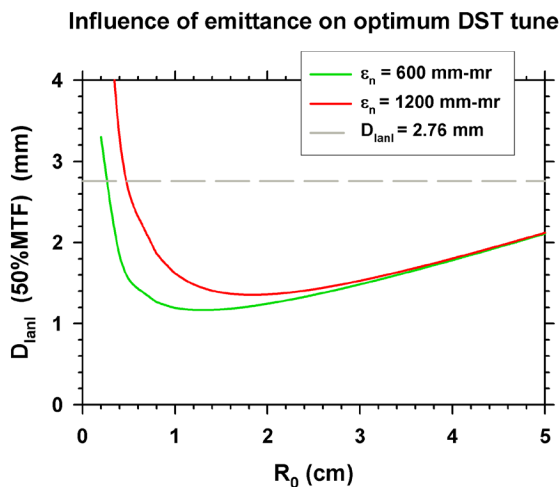


Several physical effects contribute to the spot size, which can be minimized by tuning for optimum beam size entering the final focus

$$r_{spot}^2 = \underbrace{\left(\frac{\varepsilon_n f}{\beta \gamma R_0} \right)^2}_{\text{Fundamental Minimum}} + \underbrace{\sum R_{aberrations}^2}_{\text{Focusing}} + \underbrace{\sum R_{beam-target}^2}_{\text{Ion Defocusing}}$$

Beam parameters that are under some degree of control (emittance, energy spread, and beam motion) all contribute to an enlarged spot size.

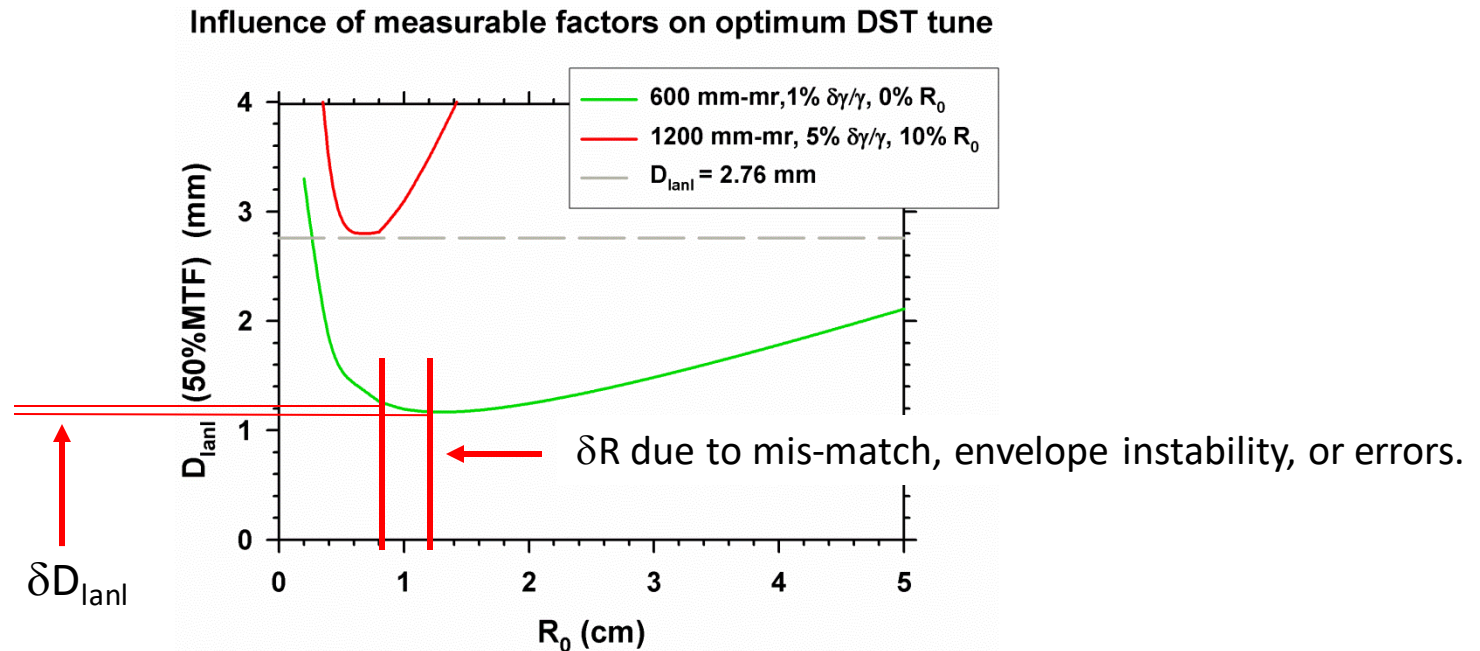
$$r_{spot}^2 = \left(\frac{\varepsilon_n f}{\beta \gamma R_0} \right)^2 + \left(\frac{2\delta\gamma}{\gamma} R_0 \right)^2 + (C_S R_0^3)^2 + (\delta_{ions})^2$$



Beam motion resulting from instabilities further blurs the time-integrated spot:

$$r_{\text{blurred}} = r_{\text{spot}} (1 + 0.01 \Delta R \%)$$

The spot size is relatively insensitive to errors in tuning for the optimum R_0 entering the final focus solenoid.



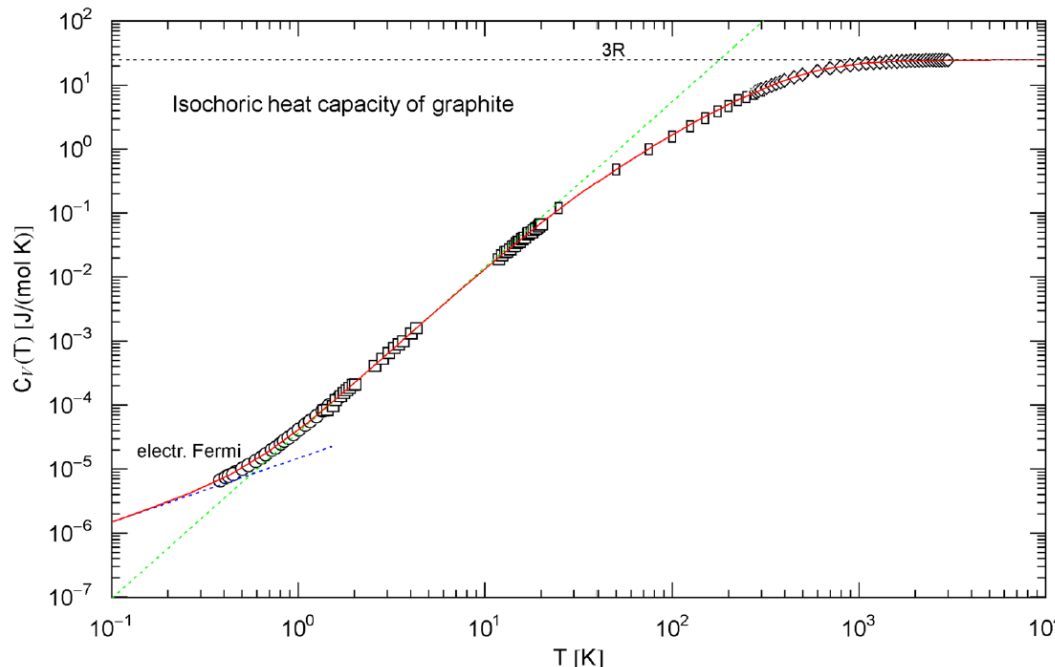
- Spot size can be minimized by tuning the downstream transport for the optimum R_0 .
- Minimum spot achieved when each contributing effect is minimized.
- Beam motion blur due to instabilities does not change optimum R_0 .
- Diagnostics required to establish optimum R_0 are emittance, energy and high-frequency motion, at least.

One can use a conservative estimate of the heating to bound the design.

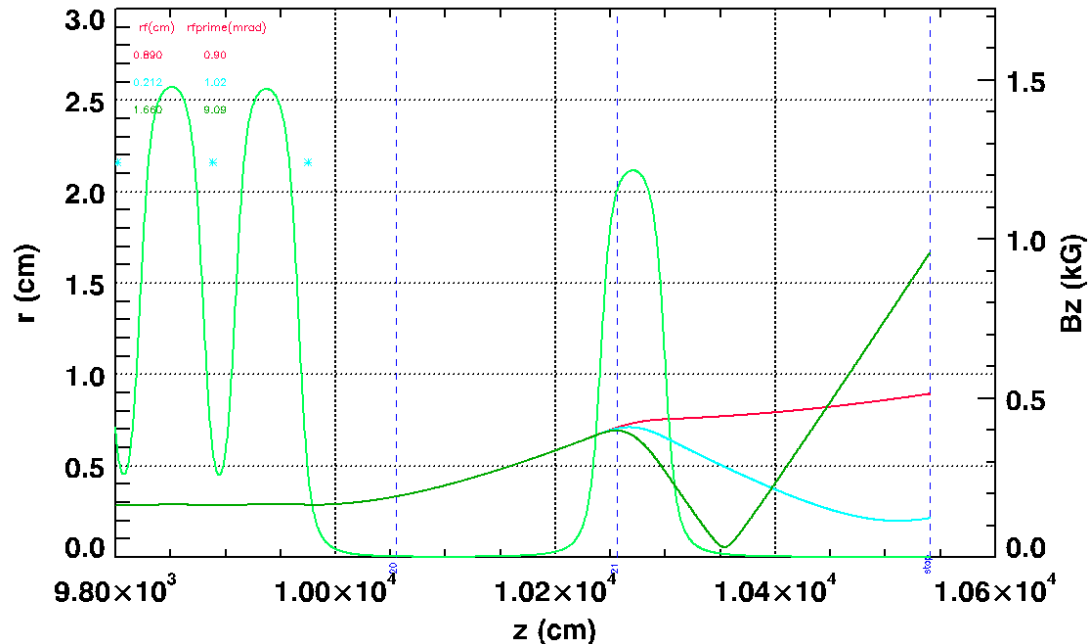
- Impulsive beam heating of a target surface during a time much less than thermal-diffusion or hydro-expansion times can be estimated from:
- $\delta T = S_c \text{ (MeV-cm}^2\text{/g)} \times J_{\text{max}} \text{ (kA/cm}^2\text{)} \times dt \text{ (ns)} / c_v \text{ (J/g/K)}$
 - Collisional stopping power; $S_c(22.4 \text{ MeV}) = 1.826 \text{ MeV/(g/cm}^2\text{)}$
 - Isochoric specific heat; $c_v(290\text{K}) = 0.644 \text{ J/g-K}$
 - for $T > 290\text{K}$, $c_v > 0.644 \text{ J/g-K}$, so using this value is a conservative (over-estimate) of heating.
 - PIC code simulations suggest current distributions between uniform and Gaussian:
 - Uniform: $J_{\text{max}} = I_b / p R_{\text{env}}^2$
 - Gaussian: $J_{\text{max}} = I_b / p R_{\text{rms}}^2 = 2 \times J_{\text{max}} \text{ (Uniform)}$
 - These estimates bound the problem

Comments on specific heat, and its influence on beam-stop heating estimates.

- Tabulated specific heat is almost always isobaric; c_p
- Isochoric specific heat is always less than isobaric, $c_v = c_p - VT\alpha^2/\beta$
 - β = compressibility, α = coefficient of thermal expansion
- \Rightarrow using c_p rather than c_v underestimates temperature increase, especially since c_p increases with temperature more than c_v
- Using c_v at $T = 300\text{K}$ overestimates the temperature increase, so is a conservative approach to design: $c_v(290\text{K}) = 0.644\text{ J/gK}$ for graphite



Using TS1 as the cruncher requires a solenoid capable of producing about 3-kG peak field.



Surface Heating

- 22.4 MeV
- 1.45 kA
- 4- pulses
- 80ns FWHM each
- Uniform Distribution
 - $J_{\max} = I_b / \pi R_{\text{env}}^2$
- Gaussian Distribution
 - $J_{\max} = I_b / \pi R_{\text{rms}}^2$
- ($R_{\text{env}} = 1.414 R_{\text{rms}}$)

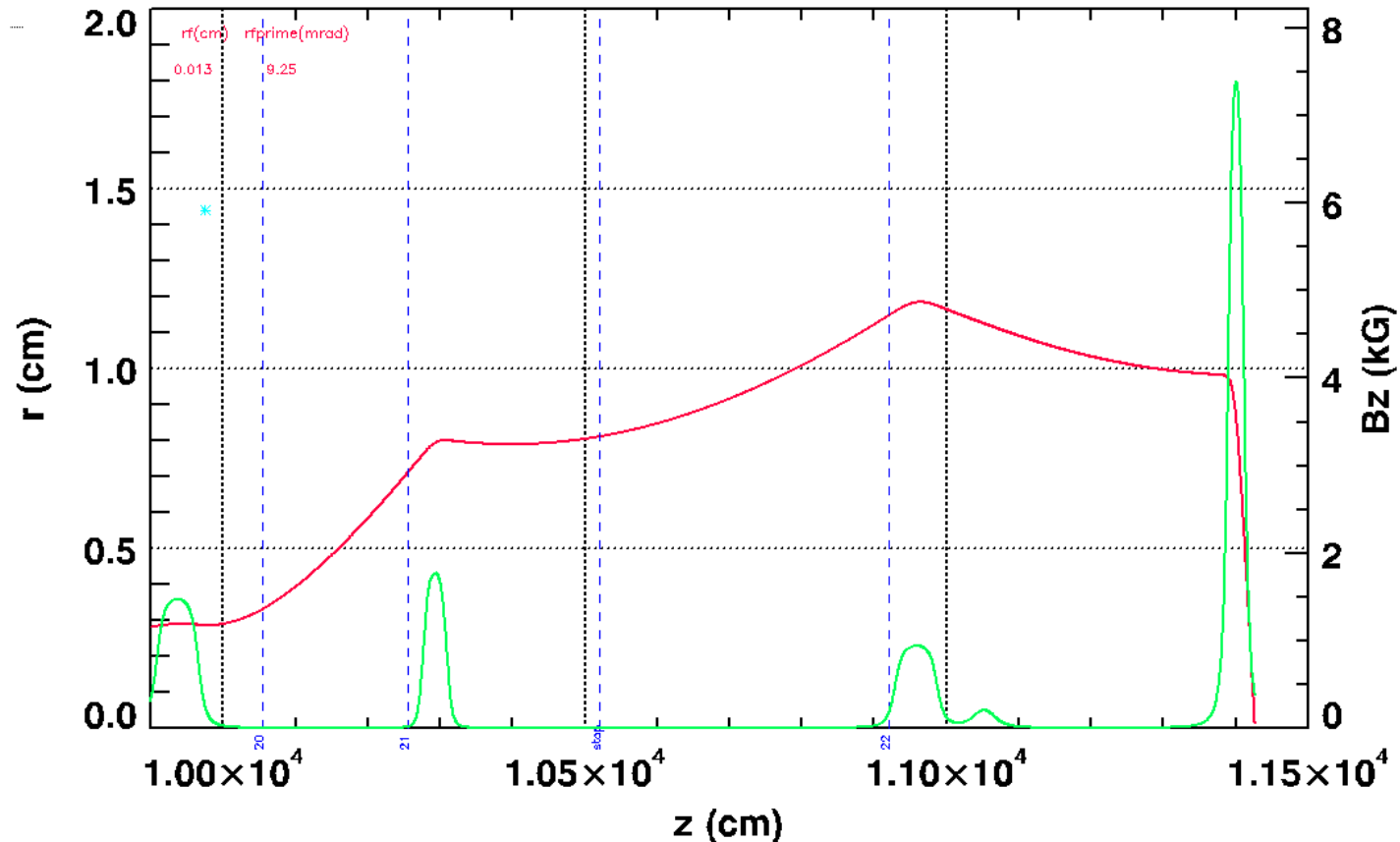
color	B_{\max} kG	R_{env} cm	R_{rms} cm	dT_U K	dT_G K	comment
Red	1.22	0.89	0.63	530	1060	Nominal Tune
Cyan	1.95	0.21	0.15			4-Layer limit ?
Green	2.89	1.66	1.17	152	304	Safe

The new DARHT-II S2 solenoid can be used instead of the Scorpius 4-layer solenoid for transport and cruncher (TS1).

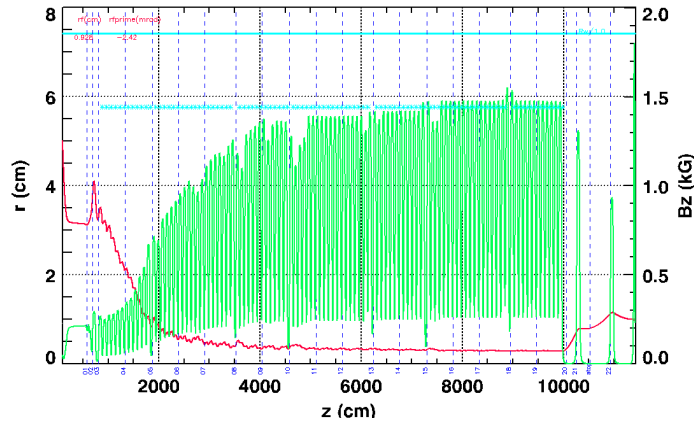
- **Bare Scorpius 4-layer solenoid (godiva4)**
 - [Leff(cm), Reff(cm), G/A, “n”, alpha]
 - [58.13437,10.80557,4.61102,2.01033,0]: PerMag model
 - $1/f = \text{Integral}[k_\beta^2] \{z, -\infty, +\infty\}$; $k_\beta = B_z(\text{kG})/3.4\beta\gamma$
 - Optimized transport for 1.2 kG (264A) & KE=22.4, $f = 306$ cm
 - $Cs1 = 0.0006165/\text{cm}^2$
 - Crunching with 3-kG (651A) & KE=22.4 , $f = 54$ cm

- **DARHT-II S2 solenoid (curly)**
 - [31.879,8.18079,15.07,2.83795,0]: Barlow map
 - Optimized transport for 1.72 kG (114A) & KE=22.4, $f = 302$ cm
 - $Cs1 = 0.001753/\text{cm}^2$
 - Crunching with 4.1 kG (270A) & KE=22.4, $f = 54$ cm

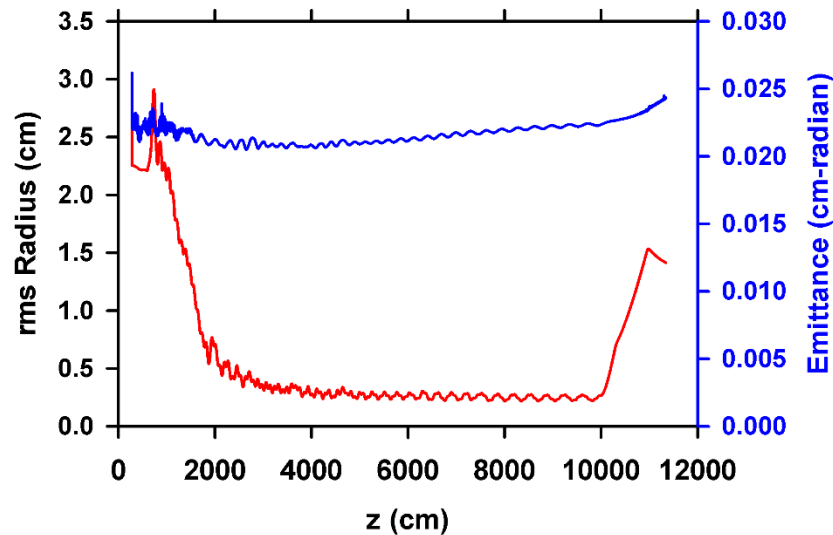
The DST can be optimized to enter FF at $R_{env} \propto 1$ cm using DARHT S2 at TS1 and the DML solenoid producing 200 G.



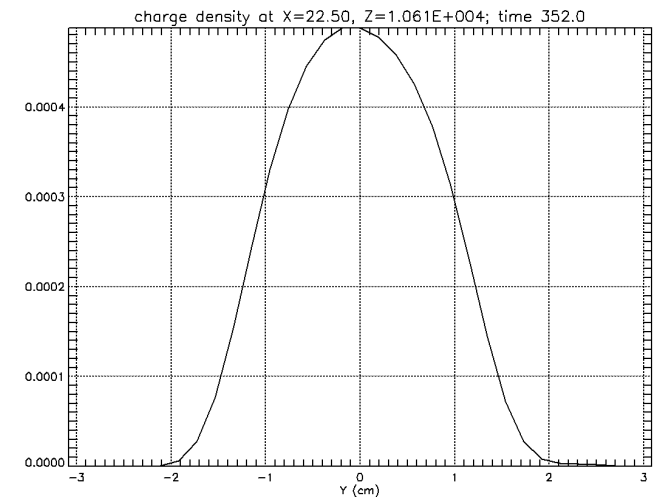
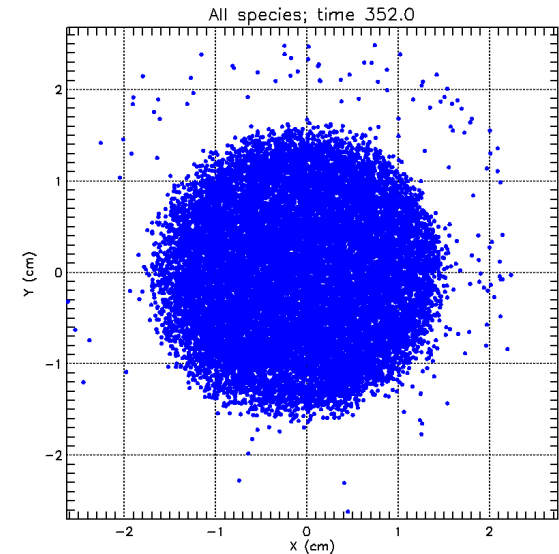
The beam distribution near the beam-stop was obtained from PIC code simulations of transport and acceleration through the LIA.



The tu ne transports a well-matched beam with almost no oscillations at high energy.



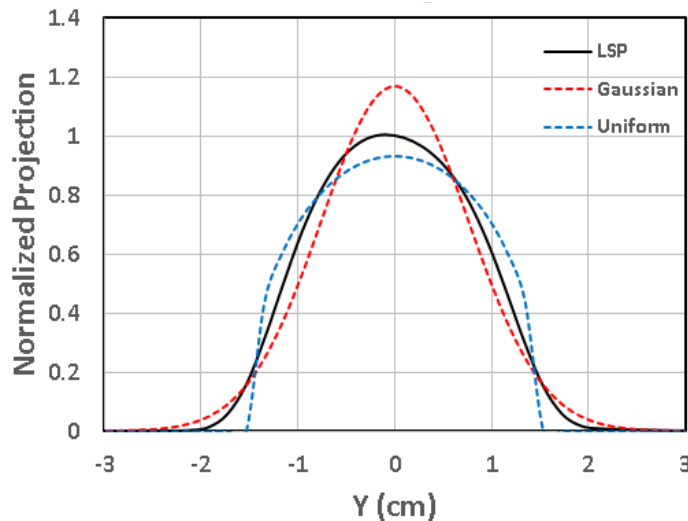
For this simulation the beam was slightly mismatched causing weak envelope oscillations and emittance growth.



Projection onto Y axis

Rrms = 1.05 cm
en = 0.023 cm-radian

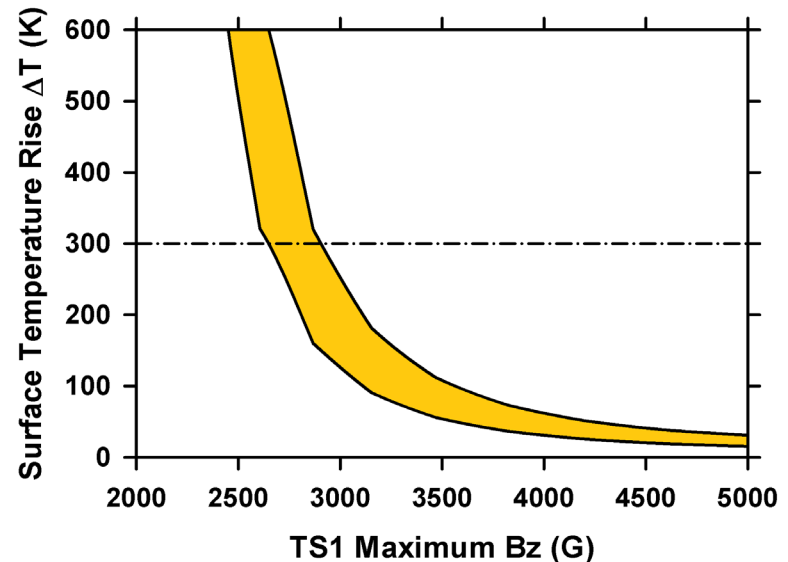
PIC simulations suggest that the maximum current density lies between that for Uniform and Gaussian distributions..



The peak current density is more than for a uniform beam of the same rms size carrying the same current, but more than for a Gaussian beam.

This suggests that the temperature rise will be in a range bounded by uniform and Gaussian distributions.

TS1 maximum field should be sufficient to prevent impulsive overheating.



Conclusions:

- Initial estimates suggest that using TS1 to expand the beam in order not to overheat the beam-stop will require a peak focusing field of 3 kG or more using a bare Scorpius 4-layer solenoid.
- The new DARHT-II S2 cruncher design can be used for TS1.
 - It's a shorter magnet (about $\frac{1}{2}$ L), so equivalent focusing field for the same beam expansion is 4.1 kG.
- LSP PIC code simulations show that the beam current density radial profile evolves from uniform at the diode to convex at the LIA exit.
 - Current density is less centralized than Gaussian, which might be used as a limiting case for heating.
- The DST tune with S2 and energized DML can be optimized to enter the final focus at a waist with R_{env} about 1 cm for minimum spot size.

Future Directions:

- **Corroborate PIC code current distribution with real data from DARHT-I imaging.**
- **Corroborate impulsive surface-temperature rise with thermodynamic codes.**
 - **Source energy deposition with Monte Carlo simulations based on Gaussian worst-case distribution (Cyltran, MCNP, Penelope, EGS, GEANT, etc.)**
 - **Include temperature dependent material properties (heat capacity, thermal conduction, etc.)**
- **Perform higher resolution PIC simulations.**
 - **Include beam expansion using TS1**
 - **Corroborate PIC code current distribution with real data from DARHT-I imaging.**